

EE 340L

EXP: 2 – THREE-PHASE AC CIRCUITS

A. Determining the Phase Sequence

One way to determine the phase sequence is to use two light bulbs and a capacitor connected in Wye as shown in Fig. 1.

1. Let the phase voltage be 120 V, the capacitor value with a reactance of 600Ω , and each of the light bulbs is represented by a resistance of 600Ω . Further assume that the phase sequence is A-B-C (i.e., phase B lags phase A by 120 deg.). Calculate the voltage V_{Nn} (i.e., voltage of node N with respect to the neutral point of the 3-phase source), the voltage across the capacitor, the voltage across the light bulb connected to phase B, and the voltage across the light bulb connected to phase C.

$$V_{Nn} = \dots\dots\dots V$$

$$V_{AN} = \dots\dots\dots V$$

$$V_{BN} = \dots\dots\dots V$$

$$V_{CN} = \dots\dots\dots V$$

Which of the two bulbs should be brighter (i.e., the one with a higher voltage across its terminals)?

2. Repeat 1) above by assuming the phase sequence is A-C-B (i.e., phase C lags phase A by 120 deg.)

$$V_{Nn} = \dots\dots\dots V$$

$$V_{AN} = \dots\dots\dots V$$

$$V_{BN} = \dots\dots\dots V$$

$$V_{CN} = \dots\dots\dots V$$

From the results of 1) and 2), one can conclude that the phase sequence is in the following order: bright lamp – dim lamp – capacitor.

3. Verify the above experiment in the laboratory.

A-B-C Sequence:

$$V_{Nn} = \dots\dots\dots V$$

$$V_{AN} = \dots\dots\dots V$$

$$V_{BN} = \dots\dots\dots V$$

$$V_{CN} = \dots\dots\dots V$$

A-C-B Sequence:

$$V_{Nn} = \dots\dots\dots V$$

$$V_{AN} = \dots\dots\dots V$$

$$V_{BN} = \dots\dots\dots V$$

$$V_{CN} = \dots\dots\dots V$$

B. Power Measurement by 2-Wattmeter Method.

A three-phase 208 V circuit supplies power to an unbalanced 3-wire, delta connected resistive load. The resistance branches are as follows:

$$R_1 = 170 \, \Omega, R_2 = 240 \, \Omega, \text{ and } R_3 = 300 \, \Omega \text{ (see$$

- 1) Calculate the total power delivered to the load.
- 2) Two watt-meters are used to measure the power above (using one of the phases as a reference to the voltage). Calculate the power measured by each of these meters.

$$P_{\text{total}} = \dots\dots\dots \text{ W,}$$

$$P_{12} = \dots\dots\dots \text{ W, } P_{32} = \dots\dots\dots \text{ W}$$

- 3) Verify your calculations above through laboratory tests.

$$P_{12} = \dots\dots\dots \text{ W, } P_{32} = \dots\dots\dots \text{ W}$$

- 4) Calculate the active and reactive power supplied by each phase.

$$P_1 = \dots\dots\dots \text{ W, } Q_1 = \dots\dots\dots \text{ VAR}$$

$$P_2 = \dots\dots\dots \text{ W, } Q_2 = \dots\dots\dots \text{ VAR}$$

$$P_3 = \dots\dots\dots \text{ W, } Q_3 = \dots\dots\dots \text{ VAR}$$

- 4) Verify your calculations above through laboratory tests.

$$P_1 = \dots\dots\dots \text{ W, } Q_1 = \dots\dots\dots \text{ VAR}$$

$$P_2 = \dots\dots\dots \text{ W, } Q_2 = \dots\dots\dots \text{ VAR}$$

$$P_3 = \dots\dots\dots \text{ W, } Q_3 = \dots\dots\dots \text{ VAR}$$

C. Load Balancing.

When a single-phase resistive (R) load is connected across two phases of a three-phase source, it creates a highly unbalanced system (i.e., two of the line currents are equal but opposite in phase, while the third line current is zero). It is possible to balance this circuit perfectly (i.e., all line currents are equal, and in phase with their respective phase voltages) by using an inductor and capacitor with specific values as shown in Fig. 3. Further, it is essential that the phase sequence should be 1-2-3.

- 1) Suppose that the three-phase source is 208 V (line-to-line) and positive sequence, and $R = 100 \Omega$. Calculate the magnitude and phase angle of each phase current and resulting reactive and reactive power when (a) the single-phase load is connected alone, and (b) when the balancing L-C circuit is added.

Without L-C: $I_A = \dots\dots\dots A$, $I_B = \dots\dots\dots A$, $I_C = \dots\dots\dots A$

$P_A = \dots\dots\dots W$, $P_B = \dots\dots\dots W$, $P_C = \dots\dots\dots W$

$Q_A = \dots\dots\dots VAR$, $Q_B = \dots\dots\dots VAR$, $Q_C = \dots\dots\dots VAR$

With L-C: $I_A = \dots\dots\dots A$, $I_B = \dots\dots\dots A$, $I_C = \dots\dots\dots A$

$P_A = \dots\dots\dots W$, $P_B = \dots\dots\dots W$, $P_C = \dots\dots\dots W$

$Q_A = \dots\dots\dots VAR$, $Q_B = \dots\dots\dots VAR$, $Q_C = \dots\dots\dots VAR$

- 2) Verify the above through a laboratory experiment (use the combinations of available L and C values in the Laboratory that closely match the desired values).

Without L-C: $I_A = \dots\dots\dots A$, $I_B = \dots\dots\dots A$, $I_C = 0 A$

$P_A = \dots\dots\dots W$, $P_B = \dots\dots\dots W$, $P_C = 0 W$

$Q_A = \dots\dots\dots VAR$, $Q_B = \dots\dots\dots VAR$, $Q_C = 0 VAR$

With L-C: $I_A = \dots\dots\dots A$, $I_B = \dots\dots\dots A$, $I_C = \dots\dots\dots A$

$P_A = \dots\dots\dots W$, $P_B = \dots\dots\dots W$, $P_C = \dots\dots\dots W$

$Q_A = \dots\dots\dots VAR$, $Q_B = \dots\dots\dots VAR$, $Q_C = \dots\dots\dots VAR$

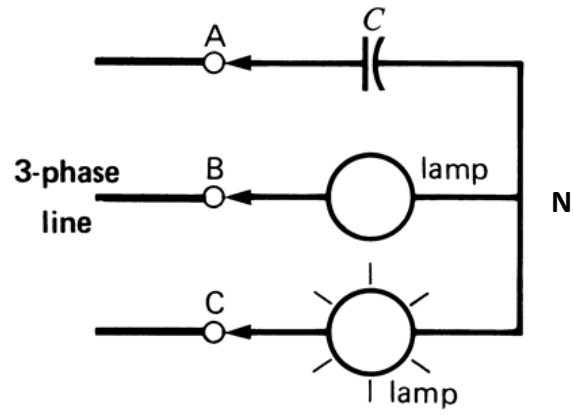


Figure 1

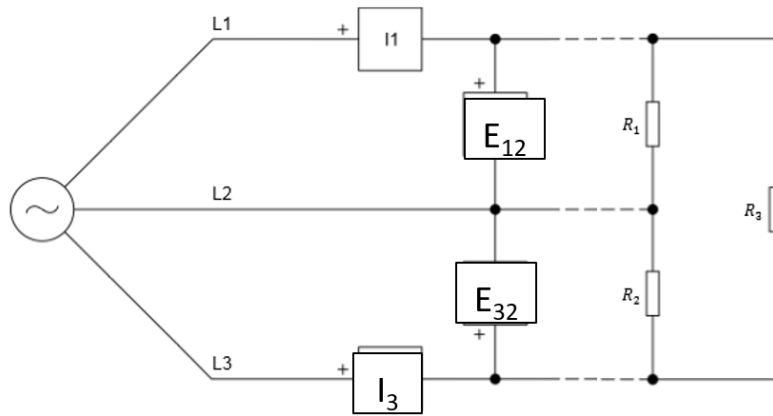


Figure 2

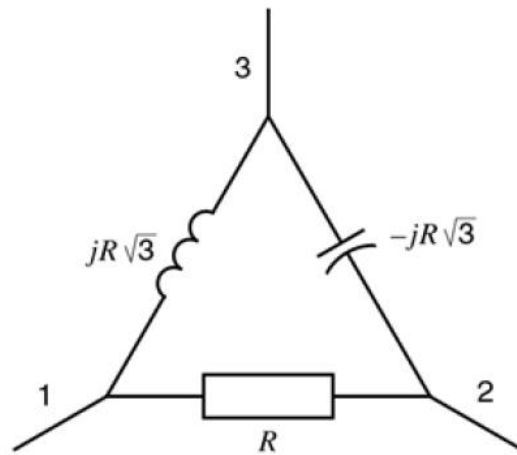


Figure 3

The following table gives Impedance values which can be obtained using either the Resistive Load, Model 8311, the Inductive Load, Model 8321, or the Capacitive Load, Model 8331. Figure C-1 shows the load elements and connections. Other parallel combinations can be used to obtain the same Impedance values listed.

Table C-1. Impedance table for the load modules.

Impedance (Ω)			Position of the switches								
120 V 60 Hz	220/230 V 50 Hz/60 Hz	240 V 60 Hz	1	2	3	4	5	6	7	8	9
1200	4400	4800									
600	2200	2400									
300	1100	1200									
400	1467	1600									
240	880	960									
200	733	800									
171	629	686									
150	550	600									
133	489	533									
120	440	480									
109	400	436									
100	367	400									
92	338	369									
86	314	343									
80	293	320									
75	275	300									
71	259	282									
67	244	267									
63	232	253									
60	220	240									
57	210	229									